## Homework #5

## Problem 8 - 2.1.9:

We need to calculate

$$\epsilon_{ijk}\epsilon_{pqk}.$$
 (1)

We see that in  $\mathbb{R}^3$  the indices can only take 3 values. This means that they have to be all different to each other. Once k is fixed there are two possibilities: i) i = p and j = q or ii) i = q and j = p with i and j different from k in both cases. In the first case  $\epsilon_{ijk} = \epsilon_{pqk}$  and in the second  $\epsilon_{ijk} = -\epsilon_{pqk}$  then,

$$\epsilon_{ijk}\epsilon_{pqk} = \delta_{ip}\delta_{jq} - \delta_{iq}\delta_{jp}.\tag{2}$$